

Arab Republic of Egypt Ministry of Education Book Sector

Mothemotics

for Primary Stage - Year 4

Second term

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Foreword

Dear students,

- We are pleased to introduce this book "*Mathematics for Primary stage Year 4*" to our children. We have done all what we can to make studying mathematics an interesting job for you. We are confident in your abilities in understanding the subject of the book, but even seeking for more.
- Besides the interesting figures and drawings, we took into consideration to increase crosscurricular and real life mathematics applications, where you sense the value and importance of studying mathematics. In many situations, you will find that we ask you to use a calculator to check mathematical operations, and invite you to use the computer to conduct some operations and draw some figures and decorate them. Towards the end of every unit, you will find some activities (sometimes may be closer to puzzles), in order to enjoy studying mathematics, where you will find great, but calculated, challenges that alerts your minds and develops your tendencies.
- Be careful to follow all what is written, conduct all activities and do not hesitate to question your teacher in all what you may face of any difficulties.
- Remember that many of the mathematics questions which have more than one correct answer, and studying it bears values that reflect this great humanitarian effort.

May God help you and us to acheive what is good for our beloved nation Egypt.

The authors





Fractions and Decimal Numbers

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General Exercises

Unit One

Fractions and Decimal Numbers

- Review of what was studied about Fractions
- Fractions
- Decimal Numbers
- More about Decimal Numbers
- Comparing Two Decimal Numbers and Ordring a Set of Decimal Numbers
- Operations on Decimal Numbers
- Approximation
- Unit 1 Activities
- General Exercises on Unit 1



Lesson 1

Reviewing what was studied about Fractions

Exercise 1

1 Write the fraction that represents the coloured part according to the whole figure.



Colour according to the fraction. $\bigcirc \bigcirc \bigcirc \bigcirc$







3 Write each of the following fractions in its suitable place on the number line.

 $\frac{2}{5}$



4

2



Write each of the following whole numbers as an improper fraction: 8, 4, 3, 7, 10, 20, then complete

$$8 = \frac{...}{1}$$
, $4 = \frac{...}{2}$, $3 = \frac{...}{3}$,

$$7 = \frac{14}{...}$$
, $10 = \frac{50}{...}$, $20 = \frac{...}{2}$

5 Complete.

8

1	=	<u>3</u> 	=	<u></u> 8	=	<u>10</u> 	=	<u>5</u>
<u>1</u> 2	=	<u>5</u> 	=	3	=	<u>6</u> 	=	<u></u> 20
<u>3</u> 4	=	<u></u> 8	=	<u>9</u> 	=	<u></u> 20	=	<u>30</u>

6 Simplify each of the following fractions. $\frac{6}{12}$, $\frac{5}{20}$, $\frac{7}{21}$, $\frac{15}{27}$

7 Complete as in the example.

Example	<u>50</u> 10	$= \frac{5}{1}$	=	5				
$\frac{70}{10} = \frac{10}{10}$	· =		,	<u>30</u> 10	=	<u>3</u> 	=	
$\frac{20}{5} = \frac{1}{2}$	· =		,	<u>28</u> 7	=	<u></u> 	=	
$\frac{9}{3} = \frac{1}{3}$	<u>.</u> =		,	<u>90</u> 3	=	<u></u> 	=	
Complete								
$\frac{5}{7}$ + $\frac{1}{7}$	- =	<u></u>		6		3		
1 1	. —		,	<u>6</u> 11	-	<u>3</u> 11	=	<u></u>
$\frac{\frac{2}{5}}{\frac{3}{4}} + \frac{\frac{3}{2}}{\frac{3}{4}}$	· =	 <u>3</u> 5	,	11 4 7	_	<u> </u>	=	 <u>1</u> 7

Lesson 2

4

Fractions

First: Fractional number

We know that, any whole number can be written in the form of a fraction using more than one method.

For example: $7 = \frac{7}{1} = \frac{14}{2} = \frac{21}{3} = \dots$, $1 = \frac{1}{1} = \frac{2}{2} = \frac{3}{3} = \dots$ So, we can find the sum of a mixed number and put it as an improper fraction.

For example: $3 + \frac{1}{2} = \frac{6}{2} + \frac{1}{2} = \frac{7}{2}$ (because $3 = \frac{6}{2}$) We can write $(3 + \frac{1}{2})$ in the form $3\frac{1}{2}$ \bigcirc \bigcirc \bigcirc \bigcirc

Example 1: Write each of the following mixed numbers as an improper fraction: $1\frac{1}{2}$, $5\frac{1}{3}$, $2 + \frac{1}{10}$ Solution: $1\frac{1}{2} = 1 + \frac{1}{2} = \frac{2}{2} + \frac{1}{2} = \frac{3}{2}$

Example 2: Write each of the following improper fractions as a

mixed number: $\frac{4}{3}$, $\frac{17}{5}$, $\frac{21}{10}$ Solution: $\frac{4}{3} = \frac{3}{3} + \frac{1}{3} = 1 + \frac{1}{3} = 1 \frac{1}{3}$ $\frac{17}{5} = \frac{15}{5} + \frac{2}{5} = 3 + \frac{2}{5} = 3 \frac{2}{5}$ $\frac{21}{10} = \frac{20}{10} + \frac{1}{10} = 2 + \frac{1}{10} = 2\frac{1}{10}$

 $5\frac{1}{3} = 5 + \frac{1}{3} = \frac{15}{3} + \frac{1}{3} = \frac{16}{3}$

 $2 + \frac{1}{10} = \frac{20}{10} + \frac{1}{10} = \frac{21}{10}$



Second :

The equal fractions and Comparing fractions **Example 1**:



if Multijly or divide each of the numerator and the denominator by the Same number (other than zero) you have the equal fractions.

Example (2)

What is the greater $\frac{4}{7}$ or $\frac{2}{3}$? Solution L. C. M. for 7, 3 is 21 Then $\frac{4}{7} = \frac{4 \times \dots}{7 \times 3} = \frac{\dots}{21}$ $4 = \frac{2}{3} = \frac{\dots \times \dots}{\dots \times \dots} = \frac{\dots}{\dots}$ Then $\dots > \dots$

Drill 1 :

(a) put the following fractions in the Simplest form

 $\frac{9}{15}$, $\frac{24}{28}$, $1\frac{6}{8}$, $\frac{35}{25}$

(b) Arrange in descending order

$$\frac{3}{7}$$
, $\frac{1}{3}$, $\frac{5}{21}$

Drill 2 :

Find the result in the Simplest form

a) $\left(\frac{7}{8} + \frac{5}{8}\right) - \frac{1}{2}$ **b)** $\frac{13}{3} - \left(\frac{2}{3} + \frac{5}{3}\right)$ Drill 3 Complete.

 $\frac{3}{5} = \frac{9}{\cdots}$ 4 $\frac{4}{7} = \frac{1}{35} = \frac{1}{10}$ 4 $\frac{2}{13} = \frac{1}{52}$

Third :

Adding and subtracting the fractions have differents denominators.

Example (1)

Find the result $\frac{3}{5} + \frac{3}{4}$ Solution: L. C. M. is 20

 $\frac{3}{5} + \frac{3}{4} = \frac{12}{20} + \frac{15}{20} = \frac{27}{20} = 1\frac{7}{20}$

Example (2)

Find the result in the simplest form

$$(2\frac{2}{3} + \frac{1}{5}) - \frac{4}{5}$$

Solution:

L. C. M. for the denominators is 15

$$= \left(\frac{8}{3} + \frac{1}{5}\right) - \frac{4}{5} = \left(\frac{40}{12} + \frac{3}{15}\right) - \frac{12}{15}$$
$$= \frac{43}{15} - \frac{12}{15} = \frac{31}{15} = 2\frac{1}{15}$$

Exercise (3)

(1) Put in Simplest form

a) $\frac{12}{42}$ b) $\frac{40}{45}$ c) $\frac{15}{24}$ d) $\frac{28}{70}$

(2) Find the result in a form of mixed number

a)
$$\frac{3}{8} + \frac{2}{8} + \frac{4}{8}$$

b) $\frac{2}{11} + \frac{5}{11} + \frac{7}{11}$
c) $(\frac{8}{15} + \frac{13}{15}) - \frac{4}{15}$
d) $(\frac{7}{9} - \frac{2}{9}) + \frac{4}{9}$

(3) Put (< or = or >) **b)** $\frac{8}{12}$ $\boxed{2}{3}$ a) $\frac{5}{6}$ 2d) $\frac{6}{7}$ $\frac{5}{6}$ c) $\frac{2}{5}$ $\frac{5}{10}$ (4) Compare between each of the Following two fractions **a)** $\frac{5}{42}$, $\frac{3}{7}$ **b)** $\frac{8}{9}$, $\frac{9}{10}$ (5) Puit in Simplest form **a)** $\frac{3}{6}$ **b)** $\frac{15}{18}$ **c)** $2\frac{9}{12}$ **d)** $\frac{45}{30}$ (6) Complete. **b)** $\frac{8}{9} = \frac{48}{100}$ **a)** $\frac{5}{15} = \frac{...}{3}$ **d)** $\frac{5}{7} = \frac{30}{....}$ **c)** $\frac{...}{13} = \frac{4}{26}$ (7) Arrang in descending order $\frac{3}{5}$, $\frac{2}{3}$, $\frac{7}{15}$ (8) Find the result in a simplest form $\frac{3}{5}$; $\frac{2}{3}$; $\frac{7}{15}$ **a)** $\frac{2}{3} + \frac{3}{4}$ **b)** $\frac{5}{6} - \frac{1}{3}$ **c)** $1\frac{4}{7} - \frac{10}{21}$ **c)** $(3\frac{1}{4} + 1\frac{1}{3}) - \frac{15}{12}$ **e)** $(7\frac{2}{5} + 4\frac{1}{6}) - \frac{32}{30}$ (9) Ahmed has L. E. 10 He lought a pen for L.E. $3\frac{1}{4}$ and notebook for L. E. $2\frac{1}{4}$ Find the remainder with Ahmed.

Lesson 3

Decimal Numbers

We know that the number $\frac{23}{10}$ can be written in the form of a mixed number as follows: $\frac{23}{10} = \frac{20}{10} + \frac{3}{10} = 2 + \frac{3}{10} = 2\frac{3}{10}$ Also, this number can be written by another way using a point that is called the **decimel point** as follows: $2\frac{3}{10} = 2.3$ and is read as two and three tenths or two point three. Also, $1\frac{9}{10} = 1.9$, $12\frac{5}{10} = 12.5$, $\frac{7}{10} = 0.7$ and so on

Drill 1:

Express each of the following, using the decimal point: $4\frac{7}{10}$, $9\frac{1}{10}$, $1\frac{5}{10}$, $\frac{6}{10}$ $4\frac{7}{10} = \dots$, $9\frac{1}{10} = \dots$, $1\frac{5}{10} = \dots$, $\frac{6}{10} = \dots$

Note: It is possible to express other numbers as $7\frac{1}{2}$ using the decimal point as follows: $7\frac{1}{2} = 7\frac{5}{10} = 7.5$ (because $\frac{1}{2} = \frac{5}{10}$) and also, $3\frac{2}{5} = 3\frac{4}{10} = 3.4$ (because $\frac{2}{5} = \frac{4}{10}$)

Drill 2:

Express each of the following, using the decimal point: $2\frac{4}{5}$, $3\frac{1}{2}$, $10\frac{1}{5}$ $2\frac{4}{5} = 2\frac{...}{10} =, 3\frac{1}{2} = 3\frac{...}{10} =, 10\frac{1}{5} = 10\frac{...}{10} =$

Drill 3:



NumberUnitsTenths2.323

Exercise 4

1	а	$5\frac{1}{10}$	ch of the following using the decimal point. , $8\frac{7}{10}$, $\frac{9}{10}$, $\frac{1}{10}$, $15\frac{3}{10}$, $4\frac{3}{5}$, $\frac{14}{20}$, $\frac{8}{40}$
2	_		each of the following fractions in the decimal form: $\frac{9}{5}$, $\frac{4}{5}$, $\frac{1}{2}$, $\frac{14}{20}$
3			each of the following decimal numbers to improper : 1.2, 0.3, 6.7, 15.1
4	Co	lour th	he part that represents each of the following numbers.
	а	1.4	
	b	2.7	
	с	0.9	
	d	1.3	

5 Represent each of the following numbers on the number line: 2.1, 0.3, 0.7, 2.6, 1.4.

6 Write the suitable number inside each square according to its place on the number line.



Complete the table.

	Number	Hundreds	Tens	Units	Tenths
Example:	523.7 ->	5	2	3 (7
	416.9				
	502.7 🛶				
	39.4				
	-	4	8	3	1
	-		6	0	9

8	
- R	
~	

8 Complete as the example.

Example: 5.7 = 5 + 0.7		
3.4 = 3 +	,	7.2 = + 0.2
6.8 = +	3	= 6 + 0.3
= 5 + 0.1	,	= 0.2 + 3

9 Complete as the example.

Example: 0.3 + 0.7 = 1		
+ 0.4 = 1	,	0.1 + = 1
+ 0.5 = 1	,	+ 0.2 = 1
0.1 + 0.2 + = 1	,	0.3 + 0.3 + = 1
0.4 + 0.3 + = 1	,	0.1 + 0.8 + = 1

10 Underline the tens digit and circle the tenths digit in each of the following numbers as in the example.

Example: 7 3	4.2			
456.2	,	467.8	3	5432.1
2060.9	,	100.1	1	4050.0

Lesson 4

More about Decimal Numbers

1 Complete. $\frac{157}{100} = \frac{100}{100} + \frac{...}{100} = 1 + \frac{...}{100} = 1\frac{57}{100}$ This number can be written using the decimal point as follows: $1\frac{57}{100} = 1.57$ and is read as, one and fifty-seven hundredths. Also, $3\frac{14}{100} = 3.14$, $67\frac{39}{100} = 67.39$, $3\frac{25}{100} = 3.25$

Drill 1:

Write each of the following as a decimal number. 8 $\frac{27}{100}$, 19 $\frac{51}{100}$, 127 $\frac{73}{100}$, $\frac{21}{100}$

- 2 Complete. $\frac{103}{100} = \frac{100}{100} + \frac{\dots}{100} = 1 + \frac{\dots}{100} = 1\frac{3}{100}$ In this case, the number is written as follows: $1\frac{3}{100} = 1.03$ and is read as one and three hundredths.
- **Note**: Notice that we did not write that number as 1.3 because in that case, it means $1\frac{3}{10}$ and not $1\frac{3}{100}$.

Number	Units	Tenths	Hundredths	
1.03	1	0	3	

Drill 2:

Write each of the following as a decimal number.

 $2\frac{1}{100}, \ 15\frac{7}{100}, \frac{209}{100}, \frac{502}{100}$ **Note**: It is possible to write other numbers in the decimal form, as $8\frac{11}{50}$ is written as follows: $8\frac{11}{50} = 8\frac{22}{100} = 8.22$ And also, $8\frac{1}{4} = 8\frac{25}{100} = 8.25$ $47\frac{2}{25} = 47\frac{8}{100} = 47.08$

Drill 3:

Write each of the following as a decimal number.

 $1\frac{9}{50}, 23\frac{8}{25}, 106\frac{1}{4}, \frac{3}{50}, \frac{27}{4}$ $1\frac{9}{50} = 1\frac{...}{100} =, , 23\frac{8}{25} = 23\frac{...}{100} =,$ $106\frac{1}{4} = 106\frac{...}{100} =, , \frac{3}{50} = \frac{...}{100} =,$ $\frac{27}{4} = ...\frac{...}{4} = ...\frac{...}{100} =$

3 Complete. $\frac{1007}{1000} = \frac{1000}{1000} + \frac{\dots}{1000} = 1 + \frac{\dots}{1000} = 1\frac{7}{1000}$ In this case, the number is written as follows:

 $1\frac{7}{1000} = 1.007$ and is read as one and seven thousandths.

Number Units		Tenths	Hundredths	Thousandths	
1.007	1.007 → 1 🤆		0	7	

Drill 4: Notice and Complete $\frac{3}{10} = \frac{3x10}{10x10} = \frac{30}{100}$ i.e 0.3 = 0.30 $\frac{40}{100} = \frac{40 \div 10}{10 \div 10} = \frac{\cdots}{\cdots}$ i.e $0.40 = \cdots$ 0.2 = 0. \Box , 0.70 = 0. \Box , 0.1 = 0.

Drill 5:

Notice and Complete **a)** 0.47 = 0.07 + 0.4 **b)** $0.68 = 0. \dots + 0. \dots$ **c)** $2.35 = 0. \dots + 0. \dots + 2$

Example: Convert each of the following numbers from fractions to decimal numbers.

$$3\frac{9}{1000}$$
, $\frac{117}{500}$
 $3\frac{9}{1000}$ = 3.009

Complete the Solution $\frac{117}{500} = \frac{117}{1000} = \dots$

Drill 6:

Write as a decimel number







8 Write the value of the digit 4 in each of the following numbers 4.503 , 42.37 , 11.46 , 0.241 , 27.034 , 0.104 , 704.16 , 0.004

Comparing Two Decimal Numbers and Ordering a Set of Decimal Numbers

Preface

First : Any mixed number is included between two whole numbers

In the following examples, the difference between the two whole numbers is as small as possible.

- a 17.92 is included between 17 and 18 i.e. 17 < 17.92 < 18
 b 0.35 is included between 0 and 1 i.e. 0 < 0.35 < 1
- c 58 is included between 57 and 59 i.e. 57 < 58 < 59

Lesson 5

Drill 1:

20

Complete with whole numbers, such that the difference between them is as small as possible, in each of the following.

..... < 8.04 < < 105.1 < < 0.92 <

Second : Finding the decimal numbers included between two given numbers

Example 1: Write a number that lies between 17 and 18. Solution: There are many numbers that lie between 17 and 18, such as: 17.1, 17.2, 17.3, 17.58, 17.958, ... etc.

Example 2: Write a number that lies between 17.1 and 17.2. Solution: There are many numbers that lie between 17.1 and 17.2, such as: 17.11, 17.12, ... etc.

Example 3: Write three numbers that lie between 57.7 and 57.9 representing them on the number line.



The three numbers may be 57.71, 57.8 and 57.85. Find other numbers that lie between 57.7 and 57.9.

Third; Comparing, ordering the decimal numbers

D	rill 2:					
Pu	it the suitable	e sign < or > in	each	n 🗔.		
а	5.1	4.3	b	17.22	9.7	
С	53.01	49.98	d	86.68	112.1	
е	273.05 🗔	2732.5	f	508	436.9	
				V	1	

Drill 3: Compare each of the following pairs of numbers. 4.6 and 4.7 **b** 18.5 and 18.05 0.6 and 0.26 а С 40.4 and 40.14 57 and 57.02 0.73 and 0.09 d b f Drill 4: It is required to order the set of the following numbers from the smallest to the greatest: 4.2, 3.6, 4.08, then complete. The smallest of these numbers is (because it is smaller than, while each of the other numbers is greater than). By comparing the other two numbers we find that < because Then, the order of the numbers from the smallest to the greatest is: , , Now, represent these three numbers on the number line. 3.1 3.2 3.3 3.4 3.5 3.6 3.7 3.8 3.9 4.1 4.2 4.3 3 4

Complete < <





The order is < < <



Operations on Decimal Numbers

Lesson 6

First: Adding decimal numbers and mixed numbers Preface

If you take two pounds and a half from your father and 3 pounds and a quarter from your mother, then how much money do you have i.e. $2\frac{1}{2}$ and $3\frac{1}{4}$.

You know that, half a pound = PT 50 and quarter a pound = PT 25. What you took from your father = 2.5 pounds and from your mother = 3.25 pounds.

The sum of what you have = 2.50 + 3.25 = LE 5.75

Notice that, we put the digit **0** to the right of the digit **5** in the first number to equal the number of digits after the decimal. Then we added the hundredths parts first, the tenths parts next, then the whole numbers last.

We can carry out the addition operation by another method as follows: $2.5 + 3.25 = 2\frac{5}{10} + 3\frac{25}{100} = 2\frac{50}{100} + 3\frac{25}{100} = 5\frac{75}{100} = LE 5.75$

Drill:

Make the following mixed numbers have the same number of digits after the decimal point as the example.

Example: 18.7, 5.06, 34.258
Solution: The numbers are 18.700, 5.060, 34.258
a 256.112, 0.54, 1.3 after lining up the decimal points, the numbers are:,,
b 97.38, 3.2, 19.034 after lining up the decimal points, the numbers are:,,
c 14, 0.8, 15.973 after lining up the decimal points, the numbers are:,,

Example:	There are two wa	ys for addition:					
	1 The horizo	ntal way:					
	a 23.4 + 7.8						
	b 18.75 + 4	.2 = 18.75 + 4.2	20 = 22.95				
	C 365.8 + 8	C 365.8 + 82.14 + 1.237					
	= 365.800	0 + 82.140 + 1.2	237 = 449.177				
	2 The vertica	al way:	(1) (1)				
	a 23.4	b 18.75	C 365.8				
	+ 7.8	+ 4.2	+ 82.14				
	31.2	22.95	+ 1.237				
			449.177				

Note: From the above, we notice that when carrying out the addition operation to the decimal numbers or mixed numbers, we make the number of digits to the right side of the decimal point the same by writing zeroes to the right of the last decimal digit because it does not change the value of the decimal number, because:

2.5 = 2.50 = 2.500 = ... etc.

		_						
Exercises								
а	17.3 + 4.6 =	b	2.65 + 9.3 =					
с	13.8 + 5.75 =	d	0.875 + 0.43 =					
е	1.007 +9 =	f	13 + 2.65 =					
g	9.8 + 4.3 =	h	213.01 + 27.99 =					
i.	28.65 + 17.3 + 2.05 =							
j	53.245 + 1.97 + 213.8 =							

Second: Subtracting Fractions and decimal numbers

Preface

Essam had seven pounds and a half, he gave his youngest brother two pounds and quarter. How much money is left with Essam? What Essam had = LE 7.5 What his brother has = LE 2.25

Notice that, writing the digit **0** to the right of the digit **5** in the first number to make the decimal digits the same, then the subtraction operation was carried as you learnt before, subtract hundredths first, tenths next and the whole numbers last.

Note: When we carryout the addition or subtaction operation for the decimals, we first make the decimal digits of the numbers we want to add or subtract the same by putting zeroes to the right of the last decimal digit (because it does not change the value of the mixed number).

			<u> </u>	All and a second	. [
Example:	1	Th	e hori	izonta	l v	vay:			
		а	5.7 –	203030					
		b	13 – 2	13 - 2.65 = 13.00 - 2.65 = 10.35					
		С	68.00	5 – 24.	25	7 9 9 10 = 68.005		250 = 43.	755
	2	Th	e vert	tical v	vay	y:			
		а	5.7	ł	0	^{2 9 10} 13.00	С	⁷ 9 10 68.005	
		-	- 1.4		_	2.65	_	24.250	
			4.3			10.35		43.755	

Drill:

Find the result of the following.

- **a** 2.325 0.214 = **b** 89.75 5.34 =
- **c** 0.6 0.275 = **d** 12.78 3.5 =
- e 312.5 157.125 =
- **f** (24.235 + 0.065) (17 + 1.3) =
- **g** 512 + 88.35 67.035 =

Third : Dividing a whole number by 10, 100 and 1000

Drill 1:

Complete as the example.

Example: $58 \div 10 = \frac{58}{10} = \frac{8}{10} + \frac{50}{10} = 0.8 + 5 = 5.8$

a 67 ÷ 10 = $\frac{\dots}{10}$ = $\frac{60}{10}$ + $\frac{\dots}{10}$ = 6 + =

b
$$45 \div 10 = \dots = \frac{40}{2} + \dots = \dots + \dots = \dots$$

c 389 ÷ 10 = $\frac{\dots}{\dots}$ = $\frac{380}{\dots}$ + $\frac{\dots}{\dots}$ = 38 + \dots = \dots

What do you notice?

When dividing a whole number by 10 the quotient is a number whose digits are the same as the of the whole number after putting the decimal point before the last digit from the right.

Find the quotient of the following, as the example.

Example: 154 ÷ 10 = 15.4

- **a** 78 ÷ 10 = **b** 348 ÷ 10 =
- **c** 250 ÷ 10 = **d** 7 859 432 ÷ 10 =

Drill 3:

Drill 2:

Complete as the example. **Example:** $289 \div 100 = \frac{200}{100} + \frac{89}{100} = 2 + 0.89 = 2.89$ **a** $494 \div 100 = \frac{400}{100} + \frac{94}{100} = \dots + \dots = \dots$ **b** $2857 \div 100 = \frac{2800}{100} + \frac{100}{100} = \dots + \dots = \dots$ **c** $7280 \div 100 = \frac{7200}{100} + \frac{100}{100} = \dots + \dots = \dots$

What do you notice?

When dividing a whole number by the quotient is a number whose digits are the same as the of the whole number after putting the before two digits from the right.

Drill 4:

Find the quotient in each of the following, as the example .

Example: 412 ÷ 100 = 4.12 , 780 ÷ 100 = 7.8 (Why?)

а	635 ÷ 100 =	b	48 597 ÷ 100
С	2 350 ÷ 100 =	d	999 900 ÷ 100

Drill 5:

Complete as the example.

Example: $4257 \div 1000 = \frac{4000}{1000} + \frac{257}{1000} = 4 + 0.257 = 4.257$ **a** $8376 \div 1000 = \frac{8000}{\dots} + \frac{\dots}{1000} = \dots + \dots = \dots$ **b** $99\ 875 \div 1000 = \frac{99\ 000}{\dots} + \frac{\dots}{\dots} = \dots + \dots = \dots$ **c** $2\ 575\ 487 \div 1000 = \frac{2\ 575\ 000}{\dots} + \frac{\dots}{\dots} = \dots + \dots = \dots$

What do you notice?

Drill 6:

Find the quotient of each of the following, as the example.

Exa	ample:		1 000 = 7.29 1000 = 9.8	94 ,	4250 ÷ 1000) = 4.25
) =		24 269 ÷ 1 0 785 640 ÷ 1	000 = 000 =
			Exe	rcise	7	
1	 a 4.7 b 137 c 9.8 d 540 Put the a 7.9 	+ 3.07 = 7.234 – 3 70 ÷ 100 0 piasters suitable + 2.3	7.04 =	(13 unds or > in e 11.7 –	3.530 , 100. (9) (5) each .	4 , 8.4 , 7.77) 194 , 100.230) 8.7 , 9.87, 987) 5.4 , 54 , 0.54)
		89 – 90.0).46 + 0.7)9 🔲 73 🔲	10 – 1. 520 + 1		
3	Find th	e result.				
а	74.28	b	289.007	c	3218.975	d 666.66
+	25.72	+	14.43	_	218.853	- 549.958
						31



Mazen has 35 pounds. He bought a ball for LE 9.75, and a book for PT 840. How much money were left?

Hanaa has 200 pounds. She wants to buy a shoe for LE 99.8, a bag for LE 45.75 and a dress for LE 70.25. Can she buy all what she wants? Why?

8 A man bought three metres of cloth to make two shirts, one for him and another for his son. If you know that one metre and three quarters of a metre of cloth are needed for the man's shirt and one metre and half a metre for the son's shirt, answer the following questions.

- a Is what the man bought enough to make the two shirts or will he need another piece of cloth?
- b If he will need to another piece of cloth, how much cloth will he need to buy?
First Approximating to the Nearest Ten

Lesson 7

Introduction

Sometimes it is necessary to know numbers accurately, as in the accurate measurements in laboratories, financial records ... etc. But, in some other cases we do not need to know the numbers accurately, it is sufficient to get approximated numbers.

- Example: If the population of a small village is 72 105, then we say it is approximately 72 000.
 - If the distance between two cities is 197 km then we say it is approximately 200 km.

Now, we are going to study the rules of approximating numbers

Example 1: Approximate the number 457 to the nearst ten. Follow the following steps.

- 1 We know that the number 457 is included between 450 and 460 (that is between 45 tens and 46 tens).
- 2 Determine the position of the number between 450 and 460.



We find that the number is nearer to 460 than to 450.

3 So, we say that 457 approximately equals 460 to the nearst ten and is written as 457 ≈ 460 to the nearst ten.

Rule "opproximate to the nearest ten" to opproximate to nearest ten. do as follows

1) Replace the units digit by zero

2) If the units digit \geq 5 add one to the tens digit

3) If the units digit < 5 Keep the tens digit with its value

For exmple 1832 \simeq 1830 ; 3267 \simeq 3270 \downarrow \downarrow \downarrow < 5 ≥ 5

Drill 1:

approximate each of the following to nearest ten

a) 236	b) 7651	c) 86029	
d) 9004	e) 21395	f) 9999	

Second: Approximating to the nearest hundred or nearest thousand.

Example 1: Approximate the number 9382 to the nearest hundred Solution : The number 9382 is included between 9300 and 9400

(i.e between 93 hundred and 94 hundred)



it is nearer to 9400 than 9300 then 9382 \simeq 9400 to the nearest hundred.

Rule : To approximate to the nearest humdred do as follows

1) Replace unit, hunderd digits with two zeroes

2) If the tens digit \geq 5 add one to hundreds digit

3) If the tens digit < 5 keep the hundreds digit with its value.

↓ < 5

For. Example 2654 \simeq 2700, 2327 \simeq 2300

Drill 2:

Approximate each of the following to nearest hundred:

a) 53824	b) 372051	c) 603499
d) 89950	e) 973049	f) 990909

Rule : To approximate to the nearest thousand do as follows

 Replace every units digit; tens digits and hundreds digit by three zeros

2) If the hundreds digit \geq 5 add one to thousands digit

3) If the hundreds digit < 5 keep the digit with its value.

For example 2654 \simeq 3000 \downarrow \geq 5 2327 \simeq 2000 \mid

< 5

35

Drill 3:

Approximate each of the following to the nearest thousand

a) 786296	b) 6435.5	c) 4321.99
d) 519900	e) 75049.9	f) 999500

Drill 4:

A Approximate each of the following numbers to the nearest ten thousand.

а	65 432.1	b	15 387	С	10 500
d	13 950.5	е	8 943.52	f	236 849.99

B Approximate each of the following numbers to the nearest hundred thousand.

а	87 654 321	b	1 234 578.9	С	4995007
d	61 950 000	е	650 049.76	f	5614765.3

Third Approximating to the Nearest Unit

We know that, there are many non-whole numbers as: 8.75, 53.07, $92\frac{3}{4}$, ... When approximating any of these non-whole numbers to the nearest unit, then the resulted number will be a whole number.



Rule for approximating to the nearest unit

From studying the previous example, deduce a rule for approximating to the nearest unit. Then, complete.

When approximating to the nearest unit, we notice the digit.

- If this digit is less than, take off the fraction and keep as it is.
- If this digit equals or greater than take off the fraction and increase

Note: Sometimes we say approximating to the nearest whole number instead of approximating to the nearest unit.

Example 1: Approximate the number 173.2 to the nearest unit. Solution: The tenths digit is 2, which is less than 5. Then, $173.2 \simeq 173$ to the nearest unit

Example 2: Approximate the number 64.69 to the nearest unit. Complete the solution:

The tenths digit is, which is than 5.

Then, 64.69 \simeq to the nearest unit.

Exmaple 3: Approximate the number 402.501 to the nearest whole number.

Complete the solution:

The tenths digit is 5.

Then, 402.501 \simeq to the nearest whole number.

Example 4: Approximate the number $657\frac{4}{5}$ to the nearest whole number. Solution: We know that $\frac{4}{5} = \frac{8}{10} = 0.8$, then $657\frac{4}{5} = 657.8$

The tenhs digit is 8 which is greater than 5.

Then, $657\frac{4}{5} \simeq 658$ to the nearest whole number.

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Drill 5:

Approximate each of the following numbers to the nearest whole number.

а	10.1	Ь	53.5	С	624.09
	7.499		600.601		253.398
g	135 <u>7</u> 10	h	$204\frac{3}{5}$	i	$967\frac{1}{4}$

Fourth Approximating to the Nearest Tenth

Example 1: Approximate the number 164.37 to the nearest tenth. Solution: The number 164.37 is included between 164.3 and 164.4 which is nearer to the number 164.4 than the number 164.3.



Then, 164.37 \simeq 164.4 to the nearest tenth.

Rule for approximating to the nearest tenth

Deduce a rule for approximation and complete to the nearest tenth. When approximating to the nearest tenth, look at the digit.

- If this number is less than, then the digit becomes zero and keep the other digits as they are.
- If this number equals or greater than, then the digit becomes zero and increase the digit by 1.

Example 2: Approximate the number 67.29 to the nearest tenth Soluton: The hundredths digit is which is greater than then 67.29 \simeq 67.3 to the nearest tenth.

Drill 6:

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Approximate each of the following numbers to the nearest 1 decimal place

а	13.57	b	296.04	С	83.914
	90.092	е	43.95	f	170.597
g	$502\frac{37}{100}$	h	$449\frac{3}{4}$	i	$6\ 399\frac{7}{50}$

Exercise 8

Find the result of each of the following operations, then approximate the result to the nearest ten.

- **a** 25 304 + 9 467 **b** 36 523 + 36 582
- **c** 46 257 15 391 **d** 700 000 65 093
- 2 a What is the greatest whole number that if approximated to the nearest ten thousand gives a result of 750?
 - b What is the greatest whole number that if approximated to the nearest ten gives a result of 8000?
 - c What is the smallest whole number that if approximated to the nearest ten gives a result of 9420?

3 Complete the following table with suitable numbers.

No.	The number	Approximated to the nearest 100	Approximated to the nearest 1000
a	6 543 217		
b	80 451.8		
с	2 395.98		
d		694 500	
е		409 900	
f			654 000

4 Carry out the following operations, then approximate the result to the nearest hundred.

- b 893.44 + 987.56 = ≃ to the nearest hundred
- c 5 436.5 − 160.9 = ≃ to the nearest hundred
- d 60 000 48.5 = ≃ to the nearest hundred

- a What is the greatest whole number that if approximated to the nearest ten thousand gives a result of 20 000?
 - **b** What is the smallest whole number that if approximated to the nearest hundred thousand gives a result of 1 700 000?
 - c What is the greatest different digits whole number that if approximated to the nearest hundred thousand gives a result of 98 500 000?
 - **d** What is the smallest different digits whole number that if approximated to the nearest ten thousand gives a result of 21 060 000?

Notice the position of each of the following numbers on the number line, then complete.



5

6



- **c** 864.3 + 75.2 = $\dots \simeq \dots \simeq$ to the nearest ten.
- d 453.64 72.317 = ≃ to the nearest 1 decimal place.

e 45.6 + 83.7 = ≃ to the nearest unit.

10 Complete the following table with suitable numbers.

The	The number approximated to the nearest:							
number	ten thousands	thousands	hundreds	tens	units	tenths		
57 346.83								
630 080.55								
28 009.19								
						45 832.6		
					50 381			

Without carrying out the approximation operations, discover directly the mistake in each of the following approximation results giving the reason.

- a 6 273.51 ≃ 6 270 to the nearest hundred. (wrong because)
- b 2 000.08 ≃ 20 000 to the nearest whole number. (wrong because)
- c 2 222 + 3 333 ≃ 5 550 to the nearest ten. (wrong because)
- **d** 999.9 555.5 \simeq 440 to the nearest hundred. (wrong because)

Write each of the required numbers using all the digits 2, 3, 5,8 and a decimal point to satisfy the following equalities.

Example: $82.35 \simeq 82$ to the nearest whole number.

а	 \simeq	20 to the nearest ten.
b	 ~	83.3 to the nearest tenth.
С	 ~	8 000 to the nearest thousand.
d	 ~	9 000 to the nearest thousand.
е	 ~	28.4 to the nearest tenth .

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Unit 1 Activities

Activity 1

Discover the rule and complete with suitable numbers



Activity 2

- Find two numbers, each of which is formed from 4 digits and a а decimal point, where their sum is 100 and the difference between them is 11.5.
- How many numbers each of which is formed from 3 digits and b a decimal point, lie between 1 and 1.5?
- Find two numbers such that their sum is 8.2 and their product С is 16.
- Find a number which lies between 50 and 100 and formed d from 4 digits and a decimal point, such that it satisfies all the following conditions:
 - Its tens digit is double its hundredths digit.
 - Its units digit is three times its hundredths digit.
 - Its tenths digit is one third its tens digit.

Activity 3

Put the decimal points in their suitable places in each of the following to make the statement true.

- 9 347 + 6 529 = 99 999 а
- **b** 483 + 725 = 5555
- 95 087 1731 = 77 777 **d** 456 34 489 = 11 111 C

Activity 4

The greatest and the smallest number

- a find the greatest whole number that if approximated to the nearest thousand give a result 6 000.
- **b** find the smallest whole number that if approximated to the nearest hundred give a result 400.
- **c** Find the greatest whole number, the sum of its digits is 21 and if approximated to the nearest hundred give a result 3 700.
- **d** Find the smallest whole number, the sum of its digits is 36 and if approximated to the nearest hundred thousand give a result of 2 900 000.

Activity 5

The same resulted approximation

- **a** Find two numbers, the difference between them in 900 and have the same result if approximated to the nearest 1 000.
- **b** Find two numbers, the difference between them in 9 900 and have the same result if approximated to the nearest 10 000.
- c Find the greatest possible difference between two whole numbers such that they have the same result if approximated to the nearest: ten, hundred, thousand, ten thousand or hundred thousand.

Activity 6

Complete with suitable digits.

- **a** $2 \ 43 \ + 40 \ 58 \simeq \ 3000$ to the nearest thousand.
- **b** 1 20 + 293 4 \simeq 6 600 to the nearest hundred.
- **c** 7 0.6 + 26 . \simeq 44.8 to the nearest tenth.
- **d** 40 6.5 + 360. \simeq 6 400 to the nearest ten.

General Exercises on Unit 1

Choose the corect answer. **a** $7\frac{3}{5} = \dots$ (7.6, 7.3, 7.5)**b** $\frac{23}{2}$ = (11.5, 11.2, 11.02)**c** $\frac{9}{4}$ = (2.5, 2.25, 2.75)**d** $\frac{3}{10}$ = $(\frac{300}{1000}, 0.03, 0.003)$ **e** $7\frac{9}{100}$ = (7.9, 7.09, 7.009)**f** $\frac{64}{80}$ = (0.8, 0.08, 0.008) $\left(\frac{354}{10}, \frac{354}{100}, \frac{354}{1000}\right)$ g 35.40 = $\left(\frac{27\,435}{10}, \frac{27\,435}{100}, \frac{27\,435}{1000}\right)$ H 274.35 = a Represent each of the following on the number line: 7.2, 8.7, 9.4, 9.9 7 10 Write the value of the underlined digit in each of the b following decimals: 54.238, 17.95, 0.743, 89.24, 35.247 Complate with a suitable digit in each . а 812.297 = 812 + 0. + 0. + 0. Find the result for each of the following b 7.98 + 12.237 = 24.013 - 4.97i – Hossam has PT 425 and his sister Hend has PT 975 piasters. Find the difference between what they have in pounds.

Complete the following table.

The	The number approximated to the nearest:						
number	hundreds	tens	units	tenths			
567.435							
2 447.612							
			707				
				999-99			

Join each number from(a)to its approximated value in(**b**,)then to the degree of approximation in(**c**.)



If the distance between two cities is 4 625 metres, approximate this distance to the nearest kilometre.

Notice the following table which represents the time spent by a primary 4 pupil in his daily activities, then answer.

Activity	studying	playing	watching TV
Time in minutes	125	45	30

- **a** What is the time elapsed by the pupil in studying approximated to the nearest hour?
- **b** What is the time elapsed by the pupil in the three activies approximated to the nearest hour?



Geometry

- Congruency
- Symmetrical Figures and Lines of symmetry
- Visual Patterns
- Unit 2 Activities
- General Exercises of Unit 2

Congruency

How do you verify the congruency of two figures practically?



If you wish to verify practically the congruency of the two figures ABCD and XYZM, then follow the following steps:

- a Get a sheet of tracing paper and copy the figure ABCD on it.
- b Flip the tracing paper on the figure XYZM and move it till you get the two figures identically on each other, such that you can see only one figure, then you become sure that the two figures are congruent. i.e. A on X, B on Y, C on ... and D on ... Also, AB = XY, BC = YZ, CD = and DA = (the symbol ≡ is read as is congruent to). As well, ∠A ≡ ∠X, ∠B ≡ ∠..., ∠C ≡ and ∠D ≡

Generally:

Two polygons are congruent if:

- 1 their corresponding sides are equal in length.
- 2 their corresponding angles are equal in measure.



- Draw the square XYZL such that it is congruent to the square ABCD.
- b Draw the square PQRS such that it is congruent to the square MNEF.
- What are the conditions for two squares to be congruent? Two squares are congruent if the side length of one of them equals

Drill 3:



- Draw the rectangle XYZL such that it is congruent to the rectangle ABCD.
- b Draw the rectangle PQRS such that it is congruent to the rectangle MNEF.
- **c** What are the conditions for two rectangles to be congruent? Two rectangles are congruent if the length of one of them equals the length of the other and the width of one of them equals

In other words if the two dimensions of one of them equals

Drill 4:

Question: Is equality of the corresponding sides of two figures enough to be congruent?

For the answer, we perform the following drill.



- Verify by measuring that the side lengths of figures 1, 2 and 3 are all equal, and the side lengths of figures 4, 5 and 6 are also all equal.
- 2 Use tracing paper to know the congruent figures from the six figures.
- **3** Find the two congruent figures from the first 3 figures. Figure and figure
- 4 Find the two congruent figures from the other 3 figures. Figure and figure
- 5 Find two non-congruent figures from the first 3 figures. Figure and figure
- 6 Name two non-congruent figures from the other 3 figures. Figure and figure
- 7 What is the relation between the measures of the angles of the congruent figures?
- 8 What is the relation between the measures of the angles of the non-congruent figures?

From the above, we find that equality of the corresponding sides of two figures is not enough to get congruent figures, but it is needed in addition to equality of the corresponding angles.

Special case:

Equality of corresponding sides of two triangles, is enough to be congruent triangles. This is because the equality of the corresponding sides of two triangles leads to equality of their corresponding angles.

Exercise 1

- Put (✓) for the correct statement and (✗) for the incorrect one and correct the wrong statement.
 - A scalene triangle can be congruent with an isosceles triangle.
 - b A square of side length 7 cm can be congruent with a rectangle of dimensions 7 cm and 5 cm.
 - c Two right-angled triangles are congruent if the two right sides in the first triangle equal the two right sides in the other.

2 Join each figure in group **a** to the congruent figure from group **b**.



3 Draw a line in each of the following figures, to get two congruent figures if possible.



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Lesson 2

Symmetrical Figures and Lines of Symmetry

Definition : line of symetry

XY represents a line of symmetry for the figure ABCD. If ABCD is folded around XY, such that the right part congruent with the left part, in this case the figure ABCD is a symmetrical figure a round this line.



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Drill 1:

 Determine the symmetrical figures of the following and draw one line of symmetry for each of them.



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- **b** Is there more than one line of symmetry for some of these shapes?
- c If your answer is yes name these figures, then draw those lines.
- **d** Are there any of the above figures with no line of symmetry? If your answer is yes, determine them.

From the above, some geometrical figures have one or more lines of symmetry (**symmetrical figures**) and some other geometrical figures have no line of symmetry (**non-symmetrical figures**).

Drill 2:

Let AC be a folding line. Notice the parallelogram ABCD when folded, then answer.

- a Is B congruent to C?
- **b** Is ΔABC congruent to ΔADC?
- c Is AC a line of symmetry for the figure ABCD?
- d Is ABC congruent to ADC? Why?



From the above, we can say that if there is a line which divides a figure into two congruent parts, it is not a must to be a line of symmetry of this figure.

Drill 3:

Notice the figure opposite, then complete.

- a The figure ABCD is a rhombus of side length_approximately equals
- Draw BD. Is BD a line of symmetry for the figure ABCD? Why? (Colour one of the two symmetric parts)



Check that AC is another line of symmetry for the figure ABCD.
 Colour one of the two symmetrical parts using another colour than the one you used in b.

From the above, the rhombus has of symmetry.

Drill 4:

а

Notice the two drawn figures, then answer.

Complete. Each of figures **1** and **2** is called a trapezium but figure **1** is an isosceles trapezium and figure **2** is trapezium.



b In figure 1:

i is MN a line of symmetry for figure 1? Why?
ii is HW a line of symmetry for figure 1? Why?
iii is AC a line of symmetry for figure 1? Why?
iv is BD a line of symmetry for figure 1? Why?

From the above, an isosceles trapezium has line of symmetry, which is the straight line passing through the mid-points of its bases.

Question:

- 1 Is the line of symmetry of an isosceles trapezium perpendicular to its bases? (verify by measuring)
- 2 In figure 1, is figure AMNB congruent to figure DMNC? Why?
- c Copy figure 2 on tracing paper. Verfiy, by folding, that there is no line of symmetry for the non-isosceles trapezium.

Exercise 2

- Put (✔) for the correct statement and (✗) for the incorrect one and correct the wrong statement.
 - The parallelogram has four lines of symmetry.
 - **b** The rectangle has four lines of symmetry.
 - c The scalene triangle has three lines of symmetry.
 - **d** The isosceles trapezium has one line of symmetry.
 - e The square has four lines of symmetry.
 - f The rhombus has four lines of symmetry.
- In the figure opposite, ABCD is a square with mid-points of its sides X, Y, Z and N. Notice the figure, then answer the following questions.



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- Draw a common line of symmetry for the two squares.
- b How many common lines of symmetry are there for the two figures?
 (2, 4 or 6)



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Join each figure to its number of lines of symmetry.



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Lesson 3

Visual Patterns

Question: What is a pattern?

A pattern is a sequence of numbers, symbols or figures arranged according to a certain system or rule.

Examples:

- 1, 5, 9, 13, ... etc. (the pattern sequence is that every number increases by 4 that the previous one).
- 2 X Y Z X Y Z X Y Z, ... etc. (the pattern sequence is repeating X Y Z).
- **3** ++-++-+, ... etc. (the pattern sequence is repeating ++-).
- **4** $\Box \triangle \Box \triangle \Box$, ... etc. (the pattern sequence is repeating $\Box \triangle$).

Drill 1:

Discover the pattern, then complete:

- 1 ABCABCABC
- **2** Δ∇Δ∇Δ∇
- 3
- **4** 100, 90, 80, ..., ..., ...

(the	pattern	sequence	is	 	.)
(the	pattern	sequence	is	 	.)
(the	pattern	sequence	is	 	.)
(the	pattern	sequence	is	 	.)

Drill 2:

In each of the following figures, discover the pattern, then complete by drawing one figure that follows the same pattern.



Exercise 3

- Discover the rule or pattern, then complete.
- a ⊟⊞⊟⊞⊞ b ○ ◎ ▲ ○ ◎ ▲ ○ ◎ ▲ c 13.2 . 13.4 . 13.6.
 - **c** 13.2, 13.4, 13.6,,,,
 - **d** 10, 9.6, 9.2,,,
 - e AB, ABB, ABBB, AB, ABB,,,

Discover the pattern, then draw two figures and complete colouring according to the pattern.



3 Form four patterns of your own.

а	
b	
С	
d	

Unit 2 Activities

Below is a figure drawn in the two dimensional coordinate plane.

O = (0, 0), A = (1, ...), X = (..., ...), N = (..., ...), M = (..., ...), K = (..., ...), Z = (..., ...)and C = (..., ...).Notice that the points O, A, X, N, ..., ... and ... lie on one straight line which is the line of symmetry for the figures: squares ABCD,,, and the circle M.

1

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2 B = (..., ...), Y = (..., ...), H = (..., ...), M =(..., ...), U = (..., ...), L = (..., ...), and D = (..., ...). What do you notice? ...



b Is there a line of symmetry for one of the three squares that is not a line of symmetry for the circle?

- c Is there a line of symmetry for the circle that is not a line of symmetry for the three squares? draw it.
- **d** Write the four figures in descending order, once according to their perimeters, and another according to their areas.
- If that figure, consisting of the four figures, represents a carpet design, use suitable colours to get the most beautiful carpet design from your point of view.
- f Write the largest possible number of parallel lines.
- g Write the greatest possible number of perpendicular lines.
- h Ask your teacher to help you in drawing this figure or any other, using Power Point or Paint program in the multimedia room in your school.

General Exercises on Unit 2

1 Complete.

- **a** A diagonal of the rectangle divides it into two triangles, but it is not for the rectangle .
- **b** Two squares are congruent if \dots
- 2 Join each of the following figures to the suitable name and to the suitable number of lines of symmetry:

Name	Figure	Number of lines of symmetry
Rhombus		very large number
Trapezium	\bigcirc	4
Parallelogram	\square	3
Circle		2
Rectangle		1
Square	$\langle \rangle$	zero

3 In eafch ot sthe gfollowing Complete the figure to be symmetrical about the given line:



Unit Three

Measurement

- The Capacity
- The Weight
- The Time
- Activities of unit 3
- General Exercises on unit 3

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Preface

We deal a lot in life situations with **capacity**. For example, this is a bottle of capacity 1 litre, and this is another of capacity 2 litres, a that is a third of capacity 250 millilitres

and this is an ampoule of capacity 2 millilitres that a doctor orders for a patient, ... etc. So, what is a litre and what is a millilitre?



The **millilitre** is the capacity of a cube-shaped container of side length 1 cm. TO CM 10 cm

The **litre** is the capacity of a cube-shaped container of side length 10 cm.

Question: What is the relation between a litre and a millilitre?

1 litre = 1000 millilitre

Question:	Which is smaller a litre or a millilitre?
	1 litre = 1 decimetre ³ , 1 millilitre = 1 cm ³
	e cubic decimetre is symbolized as 1 dm³ e cubic centimetre is symbolized as 1 cm³
Drill 1:	
	able measuring unit for each of the following.
	f medicine written by a doctor for a patient.
	unt of juice in a family size can.
	unt of water used by a person in bathing
	unt of water for melting a powder medicine
e The amo	unt of water filling a glass
f The amo	unt of water filling a mineral water bottle
Drill 2:	
	answer nearest to the correct from between brackets.
	ught a bottle of medicine of capacity
	$(\frac{1}{5}$ litre, 2 litres, 1 000 millilitres)
b I used ab	out of water in bathing today.
	(50 litres, $\frac{1}{2}$ litre, 10 litres)
c We have	a water tank of capacity
	(200 millilitres, 50 litres, 3 000 millilitres)
d When I w	as sick, I got an injection from an ampoule of
	(1 millilitre, $\frac{1}{2}$ litre, 10 millilitres)



Drill 4:

Join each picture to the suitable capacity, then write the names in an ascending order:



,

	Exercise 1
а	omplete. 20 litres = millilitres b 7000 millilitres = litres 7 litres = millilitres d 20 millilitres = litre
a c	at the suitable sign >, < or = in each . $\frac{1}{4}$ litre 245 millilitres b 2 litres 2750 millilitres 1 litre 150 millilitres d 500 millilitres $\frac{1}{3}$ litre 750 millilitres $\frac{3}{4}$ litre f 3000 millilitres 30 litres
-	hoose the answer nearest to the correct from between rackets. What is the capacity of a glass of water? (3 lires, 25 millilitres, 250 millilitres)
b	The average water consumption for a person is (15 litres, 1500 litres, 1500 millilitres)
С	The amount of milk used by a family of four persons is (500 litres, 2000 millilitres, 50 litres)
	rrange the following quantities in descending order.

8.75 litres, 9000 millilitres, 5 litres, 6500 millilitres

Lesson 2 The Weight

Measuring the weight



Preface

We deal a lot with weights in our daily life. The doctor usually weighs the baby every visit. (why?) When the father or mother buys things for home, (rice, sugar, meat, ... etc, he/she deals with weight ... etc. What are the units of measuring weight?

You studied before, the gram and the kilogram and knew that

1 kilogram = 1000 grams

In this lesson you will add to your information a new unit of measuring weight, the ton.

1 ton = 1000 kilograms
Question: How many grams are there in a ton?

1 ton = 1000 kilograms = 1000×1000 grams = grams i.e. 1 ton = 1 million grams

7500 gm = kgm

4750 kgm = ton

(2 ton, 10 gram, 2 kgm)

Drill 1:

Arrange the following units ascendingly, then arrange them descendingly: Kilogram, Gram, Ton



Complete.

- 3 kgm = gm а
- 2 ton = kgm С
- 5 ton = kgm = gm e



b

d

Drill 3:

Choose the suitable answer from between the brackets.

- Hanan bought a golden bracelet of weight а
- The weight of my shoulder-bag of books that I carry daily to b school is (3 ton - 3 gram - 3 kgm)
- A truck can be loaded with С

		(2 ton ,	20 kilogram,	3500 gram)
d	My father weighs	(one ton	, 95 kilogram	, 80 gram)

Drill 4:

Choose the suitable unit of weight.

Exercise 2

Complete.

1

- **a** 1 ton = kgm , 1 kgm = ton
- **b** 1 kgm = gm , 1 gm = kgm
- **c** 10 ton = kgm , 1000 gm = ton
- **d** 70 kgm = gm , 60 gm = kgm

Join each picture to the suitable weight.



- **3** The price of 1 kgm of meat is LE 35. A family eats one and a half kilogram of meat every week. How much money does this family pay for meat in a month?
- 4 A family of 5 persons eats 2 kgm of fish every week .The price of fish is LE 15 for a kilogram. How much money this family pays for fish in a month?
- 5 A man bought a golden ornament for his wife. If the present weighs 40 gm, and the price for one gram of gold is LE 170, how much money did the man pay?
- 6 A man bought 8 ton of iron for building his family house. If the price of 1 kilogram of iron is LE 4.5, find:
 - **a** the price of one ton of iron.
 - **b** the money paid for the iron he bought.
- A family of 7 persons eat monthly 5 kilograms of bananas, 2 kilograms of apples and 6 kilograms of oranges. The price for one kgm as shown are LE 3 for oranges, LE 8 for apples, LE 4 for bananas and LE 2 for guavas.



Answer the following.

- **a** How much money does this family pay for fruits?
- **b** If the family wants to pay less money, but get the same amount of fruits, what will they do?



Drill 2:

In this Drill we will know a new unit of measuring time, the second. What is the relation between a minute and a second?

1 minute = 60 seconds

Complete.

С

- а
- 3 minutes = seconds **b** 4 minutes = seconds
 - 240 seconds = minutes d 120 seconds = minutes
- 1 hour = minutes = × seconds = seconds e i.e. 1 hour = seconds

Drill 3:

Here we know another unit for measuring time which is the day. What is the relation between a day and an hour?

1 day = 24 hours

Complete.

- 2 days = hours a
- **c** $\frac{1}{3}$ a day = hours
- e 3 days = hours
- g 72 hours = days
- **b** 1 day = hours **d** $\frac{1}{4}$ day = hours f 4 days = hours
- **h** 84 hours = days

Drill 4:

Arrange the following in ascending order. 1440 minutes, 3600 seconds, $\frac{1}{3}$ a day, $\frac{1}{8}$ a day

The order is

Drill 5:

Complete the following diagram.



Drill 6:

Choose the suitable answer from between brackets.

a Doing the homework yesterday?

 $\left(\frac{1}{2} \text{ a day}, 3 \text{ hours}, 3 \text{ minutes}, 3 \text{ seconds}\right)$ **b** I watched a football match in the televesion for

- (900 minutes, 100 minutes, 3 hours, $\frac{1}{4}$ a day) **c** Preparing Friday breakfast takes ($\frac{1}{2}$ a day, $\frac{1}{2}$ an hour, 30 seconds)
- **d** A person sleeps daily for about (500 seconds , 500 minutes , 100 minutes)
- An employee works daily for
 (48 minutes , ¹/₂ a day , 360 seconds)

Drill 7:

Choose the suitable measuring unit:

a The daily time taken by a student to watch T.V.

(hour, second, day)

- Deciding the winner in a running for 100 metre game: (second, hour, day)
- **c** Deciding the time taken for a football match:
 - (minute, second, day)

Exercise 3



Unit 3 Activities



We have three pots of capacities 10 litres, 7 litres and 3 litres. The largest pot is completely full of water and the other two pots are empty. Using the least number of steps, show how do you use the three pots for dividing the water into two equal halves, putting five litres in the middle pot and five litres in the large pot.

Activity 2

If the two pans of the shown balance have the same weight in each of the two cases, answer the following questions.



- **a** What is the relation between the weight of the small cube and the weight of the ball?
- **b** What is the relation between the weight of the large cube and the weight of the ball?.

General Exercises on Unit 3

- Put (✔) for the correct statement and (✗) for the incorrect one and correct the wrong statement.
 - **a** 1 millilitre = $\frac{1}{10}$ litre.
 - **b** 1 ton = 100 kgm.
 - c 8250 gm = 8.25 ton.
 - d 3 days = 72 hours.
 - e 1 hour = 360 second.
- Arrange the following in ascending order: 750kgm, ¹/₂ ton, 8000 gm
 Arrange the following in descending order: 3 days, 4700 minutes, 75 hours

3 Complete.

- a 3500 millilitres = litres
- **b** 4 litres = millilitres
- c 6.75 tons = kgm
- d 16 hours = day
- 4 A margarine can is of weight 10 kgm. What is its price, if the price of one kilogram of this margarine is LE 7?
- 5 A worker is paid LE 8 for every working hour. If he works for 120 hours, how much money will he get?

)

)

)

)

)



- Complete use the suitable sign (> , < , or =)
 - (a) Two and half hours 150 minutes
 - (b) 3 litres 3000 decimetre³
 - (c) 2000 millilitres 2000 centimetre³
 - (d) 520 kgm 5000 gm
 - (e) 3 tons 300 kgm

6

Unit Four

Statistics and Probability

- Collecting, Displaying and Representing Data
- Probabilituy
- Unit 4 Activities
- General Exercoses pm Imot 4



Lesson 1

Collecting, Displaying and Representing Data

Collecting data

We need to collect data to understand what is going on and take the correct decisions. Data are collected using methods like noticing, experimenting and field (practical) studies.

1 Noticing

Activity 1

In the table below, write the number of pupils, buying from the school canteen during the break for a school week.



Day	Sunday	Monday	Tuesday	Wednesday	Thursday
Number of pupils					

Use your notes to answer the following questions.

- a What day scored the greatest and lowest number of pupils buying from the canteen? What is your explanation for that?
- b What is the number of pupils not buying from the canteen (those bringing their own sandwiches and drinks from home)?
- **c** Ask other questions (for answering those questions, you may need more notices or to collect more data)

Activity 2

Measure temperatures in the morning, noon and evening for a week. Write a report about temperatures during this week (take into consideration that the moderate temperature is about 22°).

- a are the temperatures normal, low or high?
- **b** What type of clothes is suitable to wear during this week?
- c Ask more questions.

Activity 3

Measure the height of a tree in different times (for example every two months), write your notes about its growth. Remember that you need measuring tools for the trees 2 and 3 (measuring tools are necessary to be able to notice things).

2 Experimenting

Experimenting is basic to enable us to obtain new knowledge, understand a lot of facts in the universe and get to know new information that was not known before.

Activity

- Get two pots a and b, each having a healthy transplant with green leaves. One of them (let it be plant b) has an opaque cover to prevent sun light from reaching the plant.
- Give both plants all the needed water, fertilizers and fresh air.
- Leave the two pots for a week.
- Notice the changes that happen to each of the two pots at the end of the week.
- **Note**: Notice that the plant became fade and its leaves were dry and yellow, when sun light was blocked from reaching it. This is new information that we got by experimenting.

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3 Field (practical) study

We often need to know people's opinions about some topic to help us to take the right decision in the light of this knowledge. For example, some television channels question its viewers, or actually a sample of them, about their favourite programs (series, movies, religious programs, kids programs, news, talk shows, entertainment ... etc.), and may as well ask about their favourite times for transmitting such programs and their opinions about the anchors ... and so on).

Displaying and representing data and deducing information from it

Drill 1:

A class teacher asked the pupils to tell him/her the number of books they read during the summer holidays. Their answers were recorded as follows:

Number of books	Students tallies	Number of pupils
from 0 to 4	++++ ++++ ++++	
from 5 to 9	++++	
from 10 to 14	++++ ++++ /	
from 15 to 19	////	
from 20 to 24	11	
25 and more	/	

Notice that a data is arranged in groups (each of 5). Complete the above table, then answer the following questions.

- **a** What is number of pupils in the class?
- **b** Arrange the sets of books in descending order (in a table).
- **c** Find the greatest number in the table. How many books does each of them read?
- **d** Show how to make use of the above data in preparing suitable books for the school library.

Representing data using a histogram

Drill 2:

The table below, shows the number of pupils in primary 4 participating in school activities in a primary school.

Activity	Sports	Social	Artistic	Cultural
Number of Pupils	45	25	30	15

- a complete representing by the histogram.
- b What are your suggestions to encourage pupils to participate in school activities?



Drill 3:

The table opposite shows the number of visitors of the different museums in Egypt in two years, 2005/2006 and 2006/2007.

Museum Year	Historic	Artistic	National
2005/2006	120	15	10
2006/2007	150	40	10

Complete representing these data by double bars (use green colour for 2005/ 2006 and yellow colour for 2006/2007), then answer the questions.

a Which is greater, the number of visitors of history museums in 2005/2006 or in 2006/2007? What is the amount of increase?

All mentioned figures are estimated, in the light of the publications of the Central Agency for Public Mobilization and Statistics



- b In the year 2005/2006, which is greater, the number of visitors to the history museums to the arts museums?
- c In 2006/ 2007, which is greater, the number of visitors to arts museums or to the national museums? Find the difference.
- **d** What do you think about the number of visitors of the three types of museums in 2005/2006 and 2006/2007?
- e What are your suggestions to encourage people to visit museums, specially arts museums and national museums?

Activity

Ask your teacher or technology instructor or any skilled person in using computer to teach you how to use Excel program to get double bars, showing an example of what we can get out of it. The figure on the opposite page shows a comparison between the exports, in millions, of different zones (East, West, North) and in different times of the year (1st, 2nd, 3rd and 4th quarters of the year). Notice the figure that represents these data, then answer: the following questions.

Quarter Direction	1st Qtr	2nd Qtr	3rd Qtr	4th Qtr
East	20.4	27.4	90	20.4
West	30.6	38.6	34.6	31.6
North	45.9	46.9	45	43.9

Exports in millions

Qtr

90

80

70

60 50

40

30 20

10

0

- What was the greatest value of exports in these zones? What was that zone? When?
- b What was the least value of exports in these zones? What was that zone? When?

Drill 4:

The diagram shows the donations of Ahmed and Victor in the first five months of 2008 for the children cancer hospital (blue bars represent Ahmed's donations and red bars represent Victor's donations.



Qtr

4th Qtr

3rd

Qtr

Record the data in a table, then answer the following questions.

- **a** What was the month of equal donations from Ahmed and Victor?
- **b** What is the difference between the greatest donation and the least donation from each of them?
- **c** What do you know about the children cancer hospital?
- **d** Discuss the importance of donating for charity projects.

East

West

North

Year

Quarters

Drill 5:

The table below shows the number of hours that Walid and Fouad spend to study their lessons in a week.

Day Pupil	Saturday	Sunday	Monday	Tuesday	Wednesday	Thursday
Walid	3	4	3	6	4	2
Fouad	4	5	2	5	5	3

Represent these data by double bars.

Drill 6:

The table below shows the production of hand made carpets that were exhibited by a group of producing families in an exhibition.

Family	First	Second	Third	Fourth	Fifth
Number of carpets	35	25	5	15	20

Represent these data, once using a histogram and another using Excel program on the computer.

Representation of data using the tree-diagram

Drill 7:

How many different 3-digit numbers are there using 1, 2 and 3? Write these numbers.

Hint: You can use a tree-diagram to write easily the required numbers (without missing or repeating any of them).

So, complete the following tree-diagram.



Activities

Using the above drill, answer the following questions.

- **1** Using a tree-diagram, how many different 4-digit numbers are there using 3, 5, 7 and 9.
- 2 Using a tree-diagram, how many different 3-digit numbers are there using 1, 2, 3, 4 and 5.

Lesson 2

The Probability

Chance for occurrence of a definite event

We learnt that events are either certain, impossible or possible. Also, probability expresses the chance of occurrence of an event. Let the probability of occurrence of a certain event be 1, then the probability of occurrence of a possible event lies between 0 and 1.

Drill 1:

Complete and choose the correct answer (\checkmark) as the example.

	Event	Probability degree	Probability of occurrence
Example:	Sun rises from east	Certain	Zero , 1, between 0 and 1
	Pupil rides a bike to school	Possible	Zero, 1, between 0 and 1
	Family visits the seashore every year		Zero, 1, between 0 and 1
	Man lives on earth forever		Zero, 1, between 0 and 1
	Day comes after night		Zero, 1, between 0 and 1
	Weather is sunny tomorrow		Zero, 1, between 0 and 1

Drill 2:

The weather forecast bureau expected that there will be a chance of a sunny day tomorrow with ratio 0.8 and that ratio will change for after tomorrow with a ratio $\frac{3}{4}$. Which of the two days will be of greater probability of being sunny, tomorrow or after tomorrow? Note: 0.8 = 0.80 and $\frac{3}{4} = \frac{75}{100} = 0.75$ Complete. will be of greater chance of bening sunny.

Calculating probability

Drill 1:

Kamal spun a coin 100 times. He got head 45 times. What is the probability of getting head or tail.

Solution:



Possible events are either head or tail probability of a head, as in his experiment = $\frac{45}{100}$ = 0.45

The number of times he got tail = 100 - 45 = 55 times The probability of tail as in his experiment, complete.

Probability = $\frac{\dots}{100}$ =

What do you notice? $\frac{45}{100} + \frac{55}{100} = \frac{45 + 55}{100} = \frac{100}{100} = 1$

i.e. the sum of probabilities of all possible events = 1

Drill 2:

Sherin had a box of pins in which there were 100 pins. All pins fell on the floor. Some stood on their bases, like this \bot , and others fell tilted, like that \blacktriangleright .

If the number of tilted pins were 35 pins, calculate the probability that a pin falls on its base.



Solution: Complete.

Another solution:

The possible events are either the pin is on its base or tilted. Probability to be tilted, as in the experiment $=\frac{35}{100}$ = 0.35 Probability to be on its base, as in the experiment = 1 - 0.35 = ...

Drill 3:

Consider all possible outcomes have the same chance of occurring. Complete.

- **a** Probability of appearance of head or tail when tossing a coin $=\frac{1}{2}$.
- **b** Probability of getting any number on the upper face when rolling a dice $=\frac{1}{1}$.
- **c** The figure opposite shows a disc divided into equal sectors numbered from 1 to 10. Probability of the pointer pointing at one of the sectors (for example number 7) = $\frac{1}{2}$.



Drill 4:

A box contains 5 identical balls, 2 of them are blue and 3 red. If a ball is drawn blindly, what is the probability that it is red?

Solution: Complete.

Probability of being red = $\frac{\text{number of red balls}}{\text{total possible outcomes}} = \frac{3}{\dots} = 0.6$

Drill 5:

A box contains 4 blue balls, 2 red balls, and 3 green balls, all equal in size. If a ball is drawn blindly, complete.

- **a** Probability of drawing a blue ball $=\frac{4}{3}$
- **b** Probability of drawing a red ball = $\frac{\dots}{9}$
- **c** Probability of drawing a green ball = $\frac{1}{100}$
- **d** Probability of drawing a non-blue ball = $1 \frac{\dots}{\dots} = \dots$
- **e** Probability of drawing a non-red ball = $1 \frac{\dots}{\dots}$ =

Drill 6:

You have identical cards with the numbers 1, 4, 6, 8 and 10 written on them. If one card is drawn blindly, what is the probability of having a number between 5 and 9?



Complete.

Probability of having a card with a number between 5 and 9 on the drawn card = $\frac{2}{2}$ = 0.4





Unit 4 Activities

Activity 1

The production of one of the crops was as shown in the table (numbers are in thousands of tons).

Year	1990	1965	1980	1985	2000	2005
Amount	25	30	50	55	75	80

- a Choose a graphic method to represent these data.
- **b** Represent these data according to the method you chose.
- **c** If the production of this crop continues to raise in the same rate, what do expect the production to be between 2020 and 2025?

Activity 2

Read the graph opposite which shows the money saved by Samira, in pounds, for some years, then answer.

- Form a table showing Samira's savings as in the graph.
- **b** What is the total sum of money saved by Samira?



Activity 3

A box contains 5 red balls, 3 blue balls and 4 green balls, all of the same size. A ball was drawn blindly. Complete.

- a Probability of being a blue ball is
- b Probability of bening a non-green ball is
- c Probability of being either red or green ball is

General Exercises on Unit 4

- Give an example of a certain event, another of an impossible event, and a third of a possible one, then show the probability of each of them to happen.
- In a box, there are 5 red balls, 3 blue balls and 7 green balls, equal in size. A ball is drawn blindly. Answer the following questions.
 - a what is the probability that the drawn ball is blue?
 - **b** What is the probability that the drawn ball is green?
 - c What is the probability that the drawn ball is not red?

3 A questionnaire was made among a set of youths about their favourite sports. The results were as follows:

Sport	Football	Basketball	Volleyball	Swimming	Table tennis	Others
Number	50	28	15	25	10	10

Complete representing these data on the histogram below.





- a Which school has the greater number in the mathematics group? What is the difference between them?
- **b** What is the number of pupils in the swimming group in both schools? What is the difference between them?
- c Which school has the larger number of pupils in the school activities? What do you think about the difference between the number of pupils in the school activities in both schools?



Exercise 2

- Put () for the correct statement and (X) for the incorrect one and correct the wrong statement.
 - **a** $3.2 + 7.18 \simeq 10$, to the nearest whole number. (
 - **b** $9.256 \times 1\ 000 = 9\ 000$, to the nearest thousand. (
 - c 8.765 + 12.29 = 21.05 to the nearest hundredth. (
 - **d** The line of symmetry of a figure is that line dividing it into two congruent parts. (
 - e There is only one line of symmetry for the scalene triangle.

Complete.

- **a** 100, 99.4, 98.8,,
- **b** 4 ton = kgm
- **c** A third of a day = hours = minutes
- **d** 4 225 ÷ 10 = \simeq to the nearest hundred
- 3 If I is the side length of a square and p is its perimeter, then:
 - a Write the relation between I and p.
 - **b** Complete the following table.



c Represent the data of the table using a bar graph.

a Calculate: 5 × (35 + 65) – (2 250 ÷ 1 000)

b What is the number that if you subtract 38 245 from it, the result will be 475 000?



d Draw two line segmerts to get two congruent triangles and shade each of them.

Find the number that if multiplied by 10, and you subtract 15 from it, then you divide it by 100, the result will be 0.25.

Exercise 4

- Choose the correct answer from between brackets.
 - **a** 54.238 + 5.8 = (54.296, 59.246, 60.038)
 - **b** The value of 7 in the number 123.579 =
 - (7, 70, 0.07, 700)
 - (4.03, 4.3, 4.003, 4.0003) (0.04, 0.4, 0.004)
 - **d** 256.104 = 256 + 0.1 +

 $4\frac{3}{100} = \dots$

e If the distance between two villages is 4 800 metres, this approximately equals

(5 000 km, 4 000 km, 5 km, 4 km)

Complete.

С

- **a** 4 275 \simeq , to the nearest thousand.
- **b** 98.451 \simeq , to the nearest tenth.
- c The square has lines of symmetry.

d The diagonal in the rectangle divides it to two triangles, but it is not a line of for it.

From the opposite figure, answer the following questions.

- a What is the figure ABCD called?
- b Draw the lines of symmetry for the figure ABCD.
- c What is the type of triangle ABC according to its side lengths?
- d Complete. AC BD and AB CD.



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a The table below represents the number of pupils in the first four levels in a primary school. Complete representing the data on the histogram.



b Calculate the area of a square whose perimeter is 28 cm.







[d] $4\ 225 \div 10 \simeq \dots$ (to the nearest hundred)

(3) If the side length of a square is L and its perimeter is P:

- [a] Write the mathematical relation between P and L
- **[b]** Complete the following table.
- **[C]** Represent the data in the table by double bars.

L	1	2	
Р		•••••	12

(4) Calculate the value of the following :

[a] 5 x (35 + 65) – (2 250 ÷ 1 000)

[b] What is the number that if we subtract 38 245 from it, the result will be 475 000



(4) Find the number which if it is multiplied by 10 and we subtact 15 from the result and the remainder is divided by 100 the final result will be 0.25



[b] Find the area of the square whose perimeter equals = 28 cm.

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The activity	Culture	Art.	Sport
Number of pupils (4 th grade)	10	15	30
Number of pupils (5 th grade)	20	25	15

General revision on the second term

1 Choose the correct answer from those between brack	ckets :
(1) $1548 \div 100 = \dots$	[154.8 , 15.48 , 154 , 0.48]
(2) $251056 \simeq 251100$ to the nearest	[10000,1000,100,10]
(3) The event of (the sun rises from the west) is	······ event.
[im	possible, certain, its probability = 1]
(4) 6 thousandth added to 4 hundredth equals	[0.46 , 0.046 , 0.64 , 0.0064]
(5) The value of the digit 3 in the number $2.35 = \cdots$	
	[0.3,3,0.03,0.003]
(6) The number which is next to the number 314.99	is
	[314.00 , 315 , 314.100]
(7) The probability of appearing an odd number on t	
	$\left[\frac{1}{6}, \frac{2}{6}, \frac{3}{4}, \frac{1}{2}\right]$
$(8) 7 + 0.4 + 0.03 + 0.009 = \dots$	[7.349,7.937,7.439]
(9) $\frac{2}{3}$ a day = hour.	[16,15,6,18]
(10) The value of the digit (6) in the number 18.36 i	s [6,60,0.06,600]
$(11) 9 \frac{7}{100} = \dots$	[9.07,9.7,9.007,7.09]
(12) The third of a day = \dots hours.	[12 , 3 , 8 , 15]
(13) 4.5 ton = \dots kg.	[45,54,4500,5400]
$(14)\frac{3}{4} = \dots$	[0.75,0.8,0.0755,0.25]
(15) The probability of the certain event = \cdots	[zero , 0.5 , 1 , 2]
(16) 657 $\frac{4}{5}$ = to the nearest whole number	r. [657,658,655,659]
(17) The probability of appearing a head as throwing	g a metallic coin =
	$[1, \frac{1}{2}, \text{zero}, \frac{2}{3}]$
(18) The number $\frac{17}{5} = \dots$	$\left[2\frac{3}{5}, 5\frac{2}{3}, 5\frac{3}{5}, 3\frac{2}{5}\right]$
(19) The value of the digit (4) in the number 0.241	is [0.04 , 0.4 , 4 , 40]
(20) One day = \cdots minutes.	[3600 , 60 , 24 , 1440]
(21) The number of the lines of symmetry of the rec	-
	[zero,4,2,3]
(22) is from the methods of collecting data	а.
	ymmetry, Congruence, Observation]
(23) $7\frac{3}{5} = \cdots$	[7.6,6.7,7.5]
(24) 14 days and 4 weeks = \dots weeks.	[4,5,6]
(25) 78 ÷ 10 =	[8.7,780,7.8]
(26) 494 ÷ 100 =	[5.95 , 4.94 , 49.4]

(27) The number of lines of symmetry of the isosceles triangle is

[1, 2, 3, 4] $(28) 4 \frac{1}{5} \dots 4.2$ [>,<,=, otherwise] (29) $35.26 \simeq 35.3$ to the nearest [0.1,0.01,0.001,10] (30) The decimal which is included between (0.6, 0.7) is (31) 25 decimetre cube = $\begin{bmatrix} \frac{15}{5} & \text{litre} & 25 & \text{litre} & \frac{1}{4} & \text{litre} & 25 & \text{millilitre} \end{bmatrix}$ (32) $7\frac{3}{5} =$ $\begin{bmatrix} \frac{15}{5} & \text{litre} & 25 & \text{millilitre} \\ & 1 & 1 & 1 & 1 & 1 & 1 \end{bmatrix}$ **(33)** $7\frac{3}{5} = \cdots$ [7.6, 6.7, 7.5](34) The value of the digit (3) in the number 4.238 is [0.3, 0.03, 3, 0.003] (35) There are lines of symmetry of the square [four, three, two, one] (36) The number of lines of symmetry of the rhombus is = [four, three, two, one] (37) $\frac{9}{4} = \dots$ (38) $25 \frac{1}{3}$ kg. = \dots to the nearest kg. [2.5,2.25,2.75,2.1] $[26, 24, 25, \frac{76}{3}]$ (39) 3750 cm. = metre [3.75, 373, 375000, 37.5] (40) The isosceles trapezium has line (s) of symmetry. [3, 2, 1, 4](41) The litre is the capacity of a vessel in the shape of a cube with edge length = [1 cm., 10 cm., 100 cm., 1000 cm.] (42) The probability of the impossible event = [zero, 1, 0.5, 0.3] (43) $\frac{3}{4}$ of the day = minutes [1080, 180, 100, 1800] $(44) \frac{1}{2}$ litre = cm³. [500,5000,50,50000] (45) 96.58 \simeq to the nearest unit [96,97,96.5,96.6] (46) The decimal whose value is included between 0.3 and 0.4 is [0.41,0.31,0.13,0.4] (47) Fifty six thousandth is written as = [0.56, 0.65, 0.065, 0.056]2 Put the suitable symbol of [>, <, =](1) $\frac{3}{4}$ hour75 minutes.(2) 5 tons5000 gm.(3) $4\frac{3}{4}$ pounds475 piastres.(4) 0.5 kg.750 gm.(6) $\frac{1}{4}$ of the day7 h (6) $\frac{1}{3}$ of the day 7 hours. (7) 9800 millitre 9.8 litre. (8) The probability of the impossible event ______ the probability of the certain event. (9) The number of lines of symmetry in the square _____ the number of lines of symmetry in the rectangle. (10) The value of the digit (4) in the number 0.941 _____ the value of the digit (2) in the number 0.21



(29) $42.85 \div 10 = \dots \simeq \dots \simeq \dots \simeq \dots \simeq \dots$ (to the nearest one of	lecim	al)	
(30) The rhombus is a figure , its sides are			
(31) $1 - \frac{1}{5} \simeq \dots$ (to the near	est ur	nit)	
$(32)\frac{77}{7} = \frac{3}{3} = 3$			
(33) In the opposite figure, the number of lines of symmetry equals =	\wedge	\langle	
(34) 10 , 9.6 , 9.2 , ,			
$(35) 0.6 - 0.275 = \dots $ $(36) 9.8 - 4.3 = \dots$			
(37) $58 \div 10 = \dots$ (38) $\frac{3}{4} = \frac{\dots}{8}$			
(39) 540 piasters = pounds.			
(40) There are lines of symmetry in the square.			
(41) The third of the day = \dots hours.			
(42) The value of the digit 7 in the number $123.579 = \dots$			
(43) $1 = 0.4 + \dots$ (44) $93.82 \simeq \dots$ to the nearest one d	ecim	al.	
(45) Sixty five and eight hundredth is written as			
$(46) 3.2, 3.4, 3.6, \dots$ (47) The litre = millitre.			
(48) The minute = seconds.			
(49) The probability of appearing a head as throwing a metallic coin =			
(50) The probability of the impossible event =			
4 Put the sign (✓) or (×) opposite to the following statements :			
(1) It is possible that an acute angled triangle is congruent to a right angled trian	gle()	
(2) 0.49 < 0.5	()	
(3) 1 = 0.25	()	
(4) The parallelogram has four lines of symmetry.	()	
(5) 4 units and 8 tenths = 8.4	()	
(6) It is not enough that the two polygons are congruent if the corresponding si are equal in length only.	des ()	
(7) The number 8500 is the approximation of the number 8532 to the nearest 100) 00)	
(8) The square has 4 lines of symmetry.	()	
(9) The fractional form of the number $5\frac{1}{4}$ is $\frac{10}{4}$	()	
(10) Twenty nine thousandth is written as 0.029^4	()	
$(11) \ 0.37 = 0.7 + 0.30.$	()	
(12) Seven and fifty three hundredth = 53.7	()	
(13) 4.9 < 9 + 0.4	()	
(14) 9.7 litre = 9.700 decimetre cube.	()	

(15) 20, 17, 14, 11 is a pattern of decreasing by 3) ((16) The rectangle has four lines of symmetry) (17) 2.5 days = 60 hours.) (18) 6 hundredths + 16 tenths = 6.22) (19) The value of the digit (3) in the number 72.435 = 0.30) (20) As throwing a die, then the probability of appearing a number more than 5 is impossible.) (5 Arrange ascendingly : $[\mathbf{a}] (6\frac{1}{4}, 6.63, 6\frac{1}{2}, 6.11)$ **[b]** (33.12, 33.02, 30.8, 30.196) [d] (4 litres, 4700 millitres, 4.5 dm³) [c] (37 hours, 1.5 day, 2225 minutes) [e] (8750 kg., 9 ton , 870000 gm.) 6 Find the result of the following : (to the nearest $\frac{1}{10}$) (1) $12.7 + 10.007 \simeq \dots$ (2) $52.46 - 2.731 = \dots$ (to the nearest unit) (3) $23456 \div 100 = \dots$ (to the nearest 10) (4) $\frac{3}{4}$ + = 1 (to the nearest $\frac{1}{10}$) $(5) 96.8 - 62.31 \simeq \cdots$ (6) $42819 \div 1000 \simeq \dots$ (to the nearest unit) Answer the following : (1) A man bought 8 tons of iron for building a house. If the price of one kg, of iron is 4 pounds. Find : a. The price of one ton of iron. b. The price of the quantity of iron which the man bought. (2) If Hosam has 425 pounds, and his sister Hoda has 98.75 pounds. Find the difference between them. The difference between what they have = pounds. (3) You have identical cards. You wrote the numbers (1, 4, 6, 8 and 10) on them. If you draw one of these cards blindely. What is the probability that the card carries a number between (5 and 9)? Complete : The probability = (4) First : A road is of length 55 km, 25.78 km. of it are paved. How long is the remained part without paving? Second : A box contains 5 red balls, 3 blue balls 7 green balls, equal in size. If one ball is drawn blindely. Answer the following questions : a. What is the probability that the drawn ball is blue? b. What is the probability that the drawn ball is not red? c. What is the probability that the drawn ball is green? d. What is the probability that the drawn ball is red or blue ?

8 (1) The following table shows the number of pupils participating in a school activities :

The grade	Sport	Art	Culture
Number of pupils	40	20	30

Represent these data by histogram.

(2) The following table shows the number of pupils in the first four grades in a primary school :

The grade	First	Second	Third	Fourth
Number of pupils	80	70	100	70

Represent these data by bar histogram.

(3) The following table shows the marks of some school subjects of two girl pupils in a school : Complete representation of these data by double bars, showing that in your answer sheet.

Subject The pupil	Math	Science	Social studies	English
First	30	25	30	20
Second	20	20	25	15

(4) The following table shows the saved money of Hosam and Mohamed in pounds within 4 weeks successive weeks.

Week Name	First	Second	Third	Fourth
Hosam	9	4	5	10
Mohamed	7	8	12	3

Represent these data by double bar charts.

(5) The following table shows the number of pupils in the first four grades in a primary school.

The grade	First	Second	Third	Fourth
Number of pupils	55	65	40	70

Represent these data by histogram.

(6) Draw the lines of symmetry of each of the following shapes.





		Test (2	2)		
Comple	te the following :				
	number $4.7 = 0.7 + \cdots$				
(2) 2 to	n = kg.				
(3) 734	$5 \simeq \dots $ to the near	rest 10			
(4) 750	000 millilitre =	litre			
(5) Fort	y two and three tenths	is written as			
(6) 214	÷ 100 =				
2 Put the	suitable sign (> , < or	r=) in the blar	ıks :		
	number of line of sym metry of the rhombus.	metry of the so	quare th	ne number of lines o	f
(2) 48 h	ours 3 days.				
(3) 27.4	2.74				
(4) 5.7 -	+ 1.44 5.7 – 3.4	4			
(5) The	probability of the certa	ain event	the probabil	ity of the impossible	e event.
(6) 3600) piastres 36 po	ounds.			
3 Choose	the correct answer fro	om those betw	een brackets :		
	$\frac{1}{5} \simeq \dots$ to the near			457 , 458 , 455	, 659)
	probability of appearin		rowing a metal	lic coin =	
				$(1, \frac{1}{2}, \text{zero})$ $(4\frac{1}{2}, 4\frac{2}{3}, 4\frac{3}{5})$	$(1, \frac{2}{3})$
(3) The	number $\frac{18}{4} = \dots$		($4\frac{1}{2}, 4\frac{2}{2}, 4\frac{3}{2}$	$, 4\frac{2}{2})$
	value of the digit (4) in	n the number (2 3 5	5
0.0	2			(0.04, 0.4, 4)	, 40)
(5) One	day = minutes	š.	(3600 , 60 , 24 ,	
(6) The	number of lines of syn	nmetry of the	rectangle is	(zero , 4 ,	2,3)
If Amr l	has 322 pounds and his	s brother Moh	med has 85 75	pounds	
	e difference between w			pounds.	
5 First	: Write three decimal			7 and 18)	
and the second s	: The following table		사람은 아파는 것 같은 것이 가 먹지 않는 것 같이 많이 것	야영 가지 않는 것은 것은 것이 있는 것 같아요. 이 것 같아요. 이 것 같아요.	a
	preparatory school.			c	
	The grade	First	Second	Third	

Represent these data by histogram.



The day Name	Sat.	Sun.	Mon.	Tue.	Wed.
Waleed	4	4	3	4	5
Hesham	3	2	1	2	3



- 5 (a) A box contains 8 red balls , two white balls and 5 yellow balls. what is the probability that the drawn ball is white ?
 - (b) The following table shows the number of travellers in the first four carriage of a train.

Carriage	First	Second	Third	Fourth
Number of travellers	50	60	95	70

Represent these data by histogram.

	$T_{ast}(5)$
	<i>Test</i> (5)
	1 Complete the following statements : (1) is one of units of measuring capacity.
	(2) the milliltre = \dots litre.
1	(3) "It is sure that the sun rises at night" this is event. (4) $\frac{\dots}{16} = \frac{3}{4}$
	(5) The probability of appearing of an even prime number as throwing a fair die once =
	2 Choose the correct answer :
	(1) 0.017 is less than $\dots \dots \dots$
	(2) The place value of the digit (4) in the number 8.4 is
	(units , tens , tenth , hundred) (3) Five and six tenths =
	(0.645, 0.635, 0.625, 0.615)
	(5) $9085 \simeq 9000$ to the nearest
	$(6) \frac{5}{10} + 0.8 = \dots \dots \dots \qquad (0.38 , 3.8 , 0.11 , 1.1)$
	 3 (a) Mai bought a group of notebooks for 32.75 pounds and a book for 17.58 pounds. If she has a bank note of 100 pounds what is the remainder with her ? (b) A box contains 5 blue balls, two red balls and 3 green balls. If a ball is drawn blindly. Complete. (1) the probability that the ball is red. (2) the probability that the ball is green.
	 (a) Seif El Din has 12.89 pounds and his sister Sama has 3.19 pounds. Find the difference between what they have to the nearest unit. (b) The following table shows the number of participants in the school activities in a school.

Represent these data by histogram.

The activity	sport	Social	Art
Number of pupils	16	12	14

5 Complete :

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- (1) The angles of the rectangle are and the measure of each of them is°
- (2) The isosceles trapezium has line of symmetry.
- (3) The number of the diagonals of a rhombus =
- (4) The two squares are congruent if their side lengths are



Represent these data by double bars.



5 The following table shows the number of absentees pupils from the 4th grade and 5th grade in a school within 4 days :

The day Name	1 st	2 nd	3 rd	4 th
Fourth	8	7	6	5
Fifth	6	4	8	5

Represent these data by double bars.

Choose the correct answer form	those between	n brackets :
(1) The capacity of a bottle of m		
		litre or 25 millilitre or 10 millilitre
(2) $45.095 \simeq \dots$ to the neare	est tenth.	(45.1 or 46 or 45.11
(3) The rhombus has line	es of symmetry	. (2 or 3 or 4 or 6
(4) 48 hours =		(3 day or two days or 4 days
(5) The weight of my notebook w	which I carry = \cdot	(100 gm. <i>or</i> 10 gm. <i>or</i> $\frac{1}{2}$ kg.
Complete the following :		
(1) $246.56 \simeq \dots$ to the neare		
(2) 67 $\frac{7}{1000}$ using the decimal po	int =	
(3) The litre = millilitre.		
(4) The two polygons are congru and corresponding	ent if the corre	sponding are equal in length
(5) The equilateral triangle has	lines of	symmetry.
Put the suitable relation (> , < o	or =) :	
(1) 750 millilitre = 3 litre	es.	(2) $518 \div 10 \dots 518 \times 10$
(3) 3579 ton 5379000 gn	n.	$(4) \frac{4}{5} \dots 0.06$
(5) 6.5 + 2.5 12.8 - 3.8		(6) 2.09 2.9
(a) Find the result :		
(1) $15.908 + 9.457 = \dots$		$(2) 15.077 - 9.67 = \cdots$
· · · ·	and a table for t	a computer for 1999.95 pounds and he computer for 325.5 pounds. Is the What is the remainder ?
(a) A box contains 6 red balls , 5 that the drawn ball is red ?	white balls and	d 4 green balls. What is the probability
(b) The following table represent	ts the number o	of pupils in the four grades in a primar

(b) The following table represents the number of pupils in the four grades in a primary school :

Grades	First	Second	Third	Fourth
Number of pupils	40	50	85	60

Represent these data by histogram.





Second : Emad has 98.5 pounds. He bought a shirt for 76.75 pounds. Calculate the remainder with him.

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